

# Year 7

## Knowledge Organiser

# Year 7 - Sequences

## Key Words

**Sequence:** A list which is in a particular order following a pattern.

**Term:** Each particular part of a sequence.

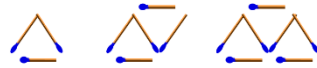
**Arithmetic sequence:** A sequence which is formed by adding or subtracting the same amount each time.

**Geometric sequence:** A geometric sequence has a **term-to-term rule** of "multiply or divide by a number"

## Key Concept

### Types of Sequence

Sequence as pictures:



Arithmetic sequence:

4, 7, 10, 13, 16, ...

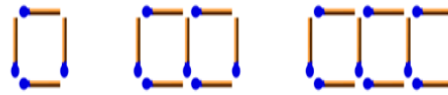


Fibonacci sequence:

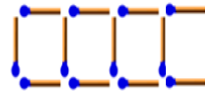
(add the previous two terms)

1, 1, 2, 3, 5, 8, ...

## Examples



Next pattern is:



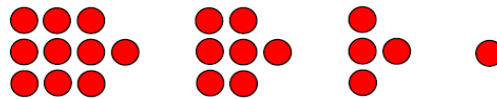
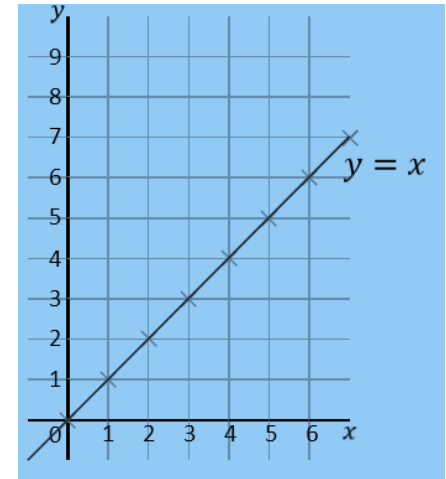
Sequence = 4, 7, 10, 13, ...

Term to term rule = +3

Nth term 4, 7, 10, 13, 16, ... =  $3n + 1$



## Straight-line Graphs



An arithmetic sequence has a common/constant **difference**

## Tip

If a sequence is decreasing, the 'n' term will be negative.

Eg, 15, 11, 7, 3, ...

Nth term =  $-4n + 19$

## Questions

- Find the next two terms and the term to term rule  
a) 9, 13, 17, 21, ... b) 7, 12, 17, 22, ... c) 9, 7, 5, 3, ... d) 3, 4, 7, 11, 18
- Find the nth term a) 7, 9, 11, 13, ... b) 8, 13, 18, 23, ...  
c) 15, 12, 9, 6, ... d) 1, -3, -7, -11, ...

# Year 7- Expressions, Functions and Formulae

## Key Concepts

A **formula** involves two or more letters, where one letter equals an **expression** of other letters.

An **expression** is a sentence in algebra that does NOT have an equals sign.

An **identity** is where one side is the equivalent to the other side.

When **substituting** a number into an expression, replace the letter with the given value.

## Examples

- 1)  $5(y + 6) \equiv 5y + 30$  is an identity as when the brackets are expanded we get the answer on the right hand side
- 2)  $5m - 7$  is an **expression** since there is no equals sign
- 3)  $3x - 6 = 12$  is an **equation** as it can be solved to give a solution
- 4)  $C = \frac{5(F - 32)}{9}$  is a **formula** (involves more than one letter and includes an equal sign)
- 5) Find the value of  $3x + 2$  when  $x = 5$   $(3 \times 5) + 2 = 17$

**Simplifying:** Like terms contain the same letter (or no letter!). For example,  $5x$  and  $7x$  are like terms but  $4x$  and  $3y$  are not like terms. You can simplify an expression by collecting like terms

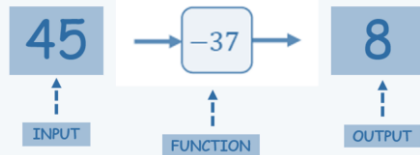


## Key Words

Substitute  
Equation  
Formula  
Identity  
Expression



153, 154, 189, 287



- 1) To find the output, you need to do the function to the input e.g.  $45 - 37 = 8$ .
- 2) To find the input, you need to do the INVERSE function to the output e.g.  $8 + 37 = 45$ .

## Questions

- 1) Identify the equation, expression, identity, formula from the list (a)  $v = u + a$  (b)  $u^2 - 2as$  (c)  $4x(x - 2) = x^2 - 8x$  (d)  $5b - 2 = 13$
- 2) Find the value of  $5x - 7$  when  $x = 3$
- 3) Where  $A = d^2 + e$ , find  $A$  when  $d = 5$  and  $e = 2$

ANSWERS: 1) (a) formula (b) expression (c) identity  
(d) equation 2) 8 3)  $A = 27$

# Year 7 – Number Skills

## Key Words

**Factor:** The numbers which fit into a number exactly.

**Multiple:** The numbers in the times table.

**Prime:** Numbers which have only two factors which are 1 and itself.

**Highest Common Factor:** The highest factor which is common for both numbers.

**Lowest Common Multiple:** The smallest multiple which is common to both numbers.



Clip Numbers

196 - 198, 261

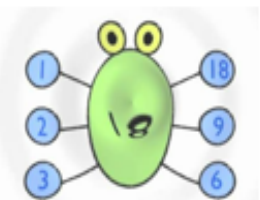
## Key Concept

Commutative Property of multiplication:

The commutative property of multiplication states that you can multiply numbers in any order and still have same product.  $2 \times 5 = 5 \times 2$

Factors

Find factors of 18



**1, 18, 2, 9, 3 and 6 are factors of 18**

## Tip

There is only one even prime number which is the number 2. This can be used to help solve lots of problems.

## Examples

Long Multiplication is a written method to multiply by numbers with two or more digits

Work out  $34 \times 29$

$$\begin{array}{r} 34 \\ \times 29 \\ \hline 306 \\ + 680 \\ \hline 986 \end{array}$$

First work out  $34 \times 9$

Now work out  $34 \times 20$

Add to give the final answer

## Questions

1. Work out  
a)  $32 \times 15$  b)  $46 \times 54$  c)  $62 \times 39$
2. work out  
a)  $£0.90 \times 3$  b)  $£1.25 \times 6$  c)  $£19.20 \div 6$
3. List the factors of 12, 15 and 16

ANSWERS: 1) a) 480 b) 2484 c) 2418 d) 2) a) £2.70 b) £7.50 c) £3.20 3) a) 1, 2, 3, 4, 6, 12, b) 1, 3, 5, 15 c) 1, 2, 4, 8, 16

# Year 7- Representing Data

## Key Words

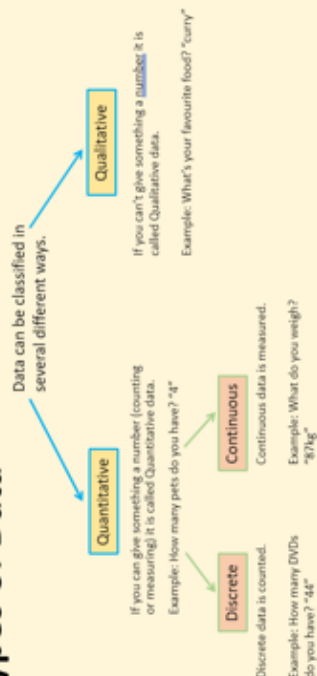
**Data:** A mathematical word that means information.

**Correlation:** The relationship between two sets of data.

**Outliers:** A piece of data that doesn't fit the correlation. **Line of best fit:** A line that shows the relationship between two sets of data.

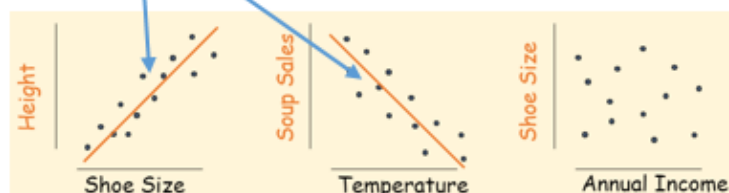
## Key Concept

### Types of Data



## Line of best fit

## Examples



- Scatter graph 1 shows a positive correlation.
- Scatter graph 2 shows a negative correlation.
- Scatter graph 3 shows no correlation.

## Frequency tables:

Number of Pets	Tally	Frequency
0		
1		
2		
3		
4		
5+		

You would use a standard frequency table in cases where:

- The data is discrete
- The data has a small range

Height of Pet (cm)	Tally	Frequency
0 < x ≤ 10		
10 < x ≤ 20		
20 < x ≤ 30		
30 < x ≤ 40		
40 < x ≤ 50		
50 +		

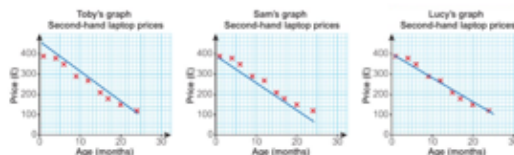
You would use a grouped frequency table in cases where:

- The data is continuous
- The data has a large range
- There are lots of different numbers

## Questions

- 1) Are the following examples of discrete or continuous data:
- A) Number of siblings    B) The length of a leaf  
C) Distance ran in 1min    D) Scores in a test out of 100

2)



Whose drawn the most accurate line of best fit? Why?

**hegarty**maths

Clip Numbers

400 – 429

**Tip!**  
The line of best fit does not *have* to have crosses on the line!

ANSWERS: 1) a) Discrete b) Continuous c) Continuous d) Discrete 2) Lucy

# Year 7 – Fractions and Percentages

## Key Words

**Fraction:** A fraction is made up of a numerator (top) and a denominator (bottom).

**Percentage:** Is a proportion that shows a number as parts per hundred.

**Integer:** Whole number.

**Ascending Order:** Place in order, smallest to largest.

**Descending Order:** Place in order, largest to smallest.

## Key Concept

FDP equivalence

F	D	P
$\frac{1}{100}$	0.01	1%
$\frac{1}{10}$	0.1	10%
$\frac{1}{5}$	0.2	20%
$\frac{1}{4}$	0.25	25%
$\frac{1}{2}$	0.5	50%
$\frac{3}{4}$	0.75	75%

## Tip

- A larger denominator does not mean a larger fraction.
- To find equivalent fractions multiply/divide the numerator and denominator by the same number.

## Examples

Make the denominators the same.

$\frac{3}{4}$	$\frac{3}{8}$	$\frac{1}{2}$	$\frac{7}{8}$	$\frac{1}{4}$
↓	↓	↓	↓	↓
$\frac{6}{8}$	$\frac{3}{8}$	$\frac{4}{8}$	$\frac{7}{8}$	$\frac{2}{8}$
↓	↓	↓	↓	↓
$\frac{1}{4}$	$\frac{3}{8}$	$\frac{1}{2}$	$\frac{3}{4}$	$\frac{7}{8}$

Convert them all to decimals.

56%	$\frac{3}{4}$	0.871	23%	$\frac{6}{7}$
0.56	0.75	0.871	0.23	0.857...
2	3	5	1	4
23%	56%	$\frac{3}{4}$	$\frac{6}{7}$	0.871



Clip Numbers

52-55, 73-83, 97

## Questions

1) Place these lists in ascending order.

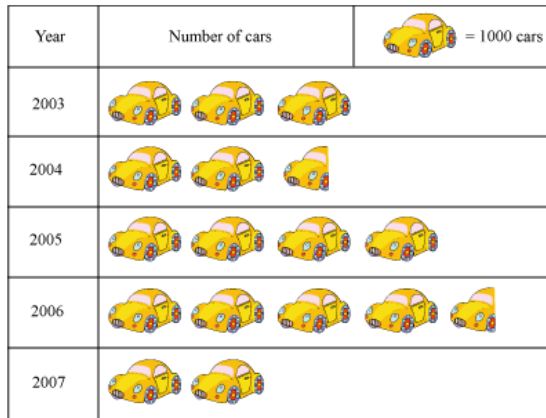
a)  $\frac{2}{3}, \frac{3}{4}, \frac{5}{6}, \frac{7}{12}$  b)  $\frac{3}{7}, \frac{1}{2}, 0.49, 0.2$  c)  $\frac{7}{32}, 25\%, 0.05, \frac{29}{100}$

ANSWERS: 1)  $\frac{1}{2}, \frac{3}{7}, \frac{2}{3}, \frac{5}{6}$  2)  $0.2, \frac{3}{7}, 0.49, \frac{1}{2}$  3)  $0.05, \frac{7}{32}, 25\%, \frac{29}{100}$

# Year 7 Knowledge Organiser

## ANALYSING AND DISPLAYING DATA

### Key Concept Pictogram



How many cars were sold in 2006? 4500 cars

### Key Words

**Frequency:** Total.

**Mean:** Total of data divided by the number of pieces of data.

**Mode:** The value that occurs most frequently.

**Median:** Middle number when they are in order.

**Range:** Difference between the largest and smallest values.

### Examples

5, 9, 9, 9, 11, 12, 13, 15, 16

#### Averages

$$\text{Mean} = \frac{5 + 9 + 9 + 9 + 11 + 12 + 13 + 15 + 16}{9} = \frac{99}{9} = 11$$

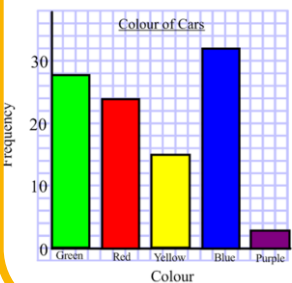
Median = 11 (The middle number shown above)

Mode = 9 (This number occurs most often)

#### Measure of Spread

Range =  $16 - 5 = 11$   
(A bigger range means the data is more spread out)

### Bar-chart



1. Frequency on vertical axes
2. Labels on axes
3. Right scales
4. Space between bars
5. Bars with equal widths
6. Title

### Tips

- There can be more than one mode.
- Range is a measure of spread, not an average.
- Bar charts have gaps between the bars.

### Questions

1) Find the mean, mode, median and range of:

a) 3, 12, 4, 6, 8, 5, 4      b) 12, 1, 10, 1, 9, 3, 4, 9, 7, 9

2) For the table:

- Draw a pie chart to show the data.
- Draw a bar chart to show the data.
- Work out the mean of the data.

Age	Frequency
11	17
12	11
13	8



# Year 7 Knowledge Organiser

## DECIMALS AND MEASURES

Digits after decimal represents fraction

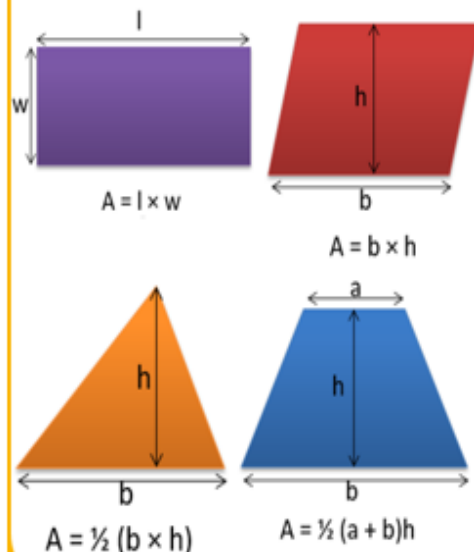
H	T	O	.	$\frac{1}{10}$	$\frac{1}{100}$	$\frac{1}{1000}$
		0	.	0	1	

$$0.01 = \frac{1}{100} \text{ (one hundredth)}$$

Mass includes the grams(g) and Kilo grams (kg) 1000g=1kg  
Capacity includes the milliliter(ml) and litre.  
1000ml=1litre

### Key Concepts

#### Area



### Key Words

**Area:** The amount of square units that fit inside the shape.

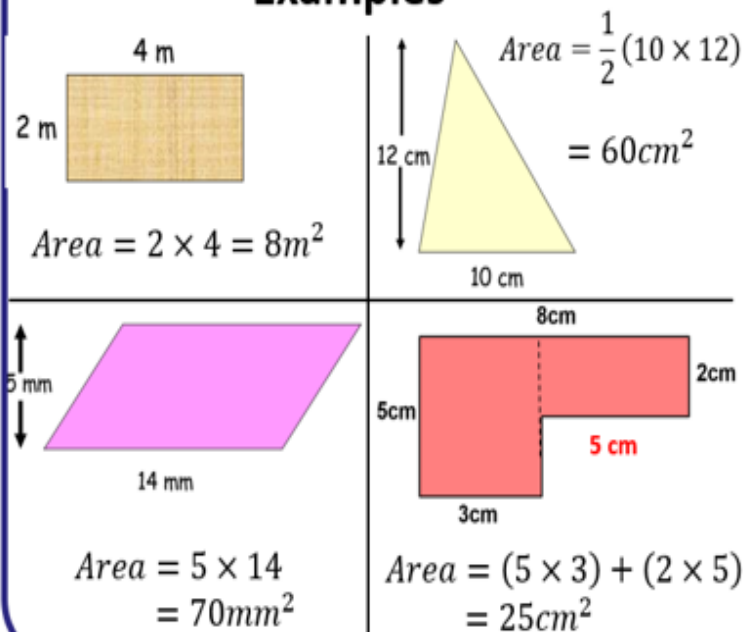
**Perimeter:** The distance around the outside of the shape.

**Dimensions:** The lengths which give the size of the shape.

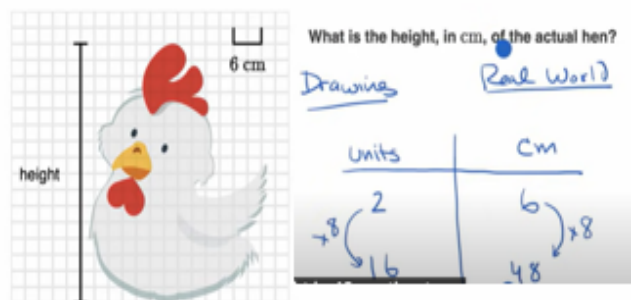
**Shapes:**

Rectangle, Triangle, Parallelogram, Trapezium, Kite.

### Examples



Jaylynn draws a hen with a scale of 2 units on her graph paper represents 6 cm. The hen is 16 units tall in the drawing.



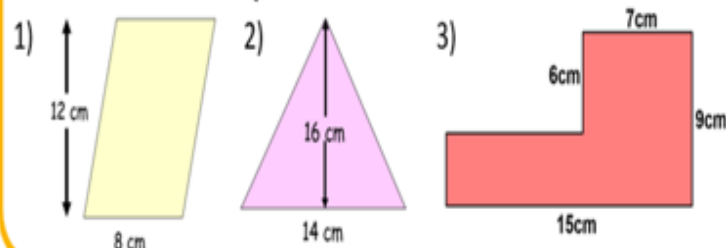
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Clip Numbers  
554-559

### Tip

Always remember units. These units are squared for area.  
 $mm^2, cm^2, m^2$ , etc

### Questions – Find the area.



ANSWERS: 1)  $96cm^2$  2)  $112cm^2$  3)  $87cm^2$

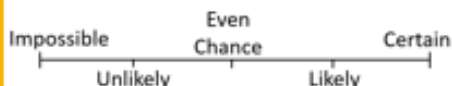


# Year 7 Knowledge Organiser

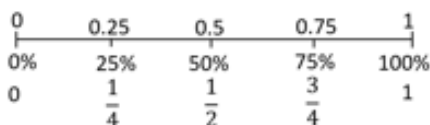
## PROBABILITY

### Key Concept

#### Chance



#### Probability



Probabilities can be written as:

- Fractions
- Decimals
- Percentages

### Key Words

**Probability:** The chance of something happening as a numerical value.

**Impossible:** The outcome cannot happen.

**Certain:** The outcome will definitely happen.

**Even chance:** There are two different outcomes each with the same chance of happening.

**Expectation:** The amount of times you expect an outcome to happen based on probability.

### Examples



1) What is the probability that a bead chosen will be **yellow**.

Show the answer on a number line.

$$\text{Probability} = \frac{\text{Number of favourable outcomes}}{\text{Total number of outcomes}}$$

$$P(\text{Yellow}) = \frac{2}{8} = \frac{1}{4}$$



2) How many **yellow** beads would you **expect** if you pulled a bead out and replaced it 40 times?

$$\frac{1}{4} \times 40 = \frac{1}{4} \text{ of } 40 = 10$$

### Formula

$$\text{Expectation} = \text{Probability} \times \text{no. of trials}$$

### Formula

Experimental probability

$$= \frac{\text{Number of times that thing happened}}{\text{Total number of times experiment was done}}$$

### Tip

Probabilities always add up to 1.

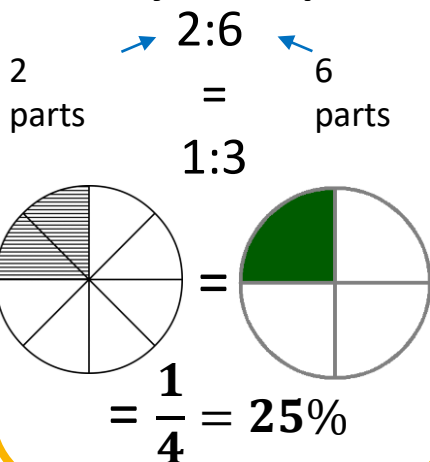
### Questions

In a bag of skittles there are 12 red, 9 yellow, 6 blue and 3 purple left.  
Find: a) P(Red) b) P(Yellow) c) P(Red or purple) d) P(Green)

# Year 7 Knowledge Organiser

## RATIO and PROPORTION

### Key Concept



### Key Concept

A ratio compares values. It says how much of one thing there is compared to another thing.

For example, if a cake recipe said use 1 cup of sugar and 3 cups of flour...

1 to 3  
1 : 3

### Key Words

**Ratio:** Relationship between two numbers.

**Part:** This is the numeric value '1' of, would be equivalent to.

**Simplify:** Divide both parts of a ratio by the same number.

**Equivalent:** Equal in value.

**Convert:** Change from one form to another.

### Tip

It's often useful to write the letters above the ratio. This helps you keep the order the correct way round.

### Examples

Simplify 60 : 40 : 100

This could have been done in one step by dividing by 20.

$\div 10$

6 : 4 : 10

$\div 2$

3 : 2 : 5

Share £45 in the ratio 2 : 7

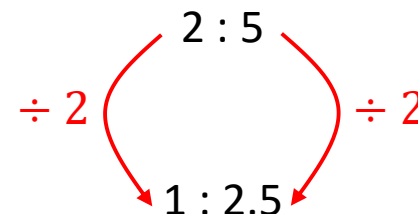
$45 \div 9 = 5$

£10 : £35

2 : 7

5	5
5	5
=10	5
	5
	5
	5
	5
	=35

Write 2 : 5 in the form 1 : n



3 memory sticks cost £24.  
How much do 7 memory sticks cost?

1 memory stick =  
 $24/3 = £8$

7 memory sticks =  
 $£8 \times 7 = £56$

### Questions

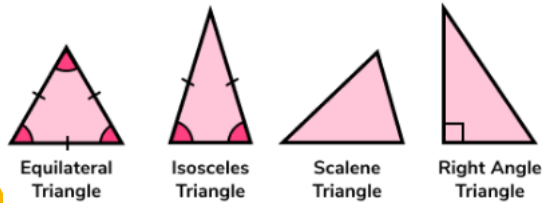
- 1) Simplify a) 45 : 63 b) 66 : 44 c) 320 : 440
- 2) Write in the form 1 : n a) 5 : 10 b) 4 : 6 c)  $x : x^2 + x$
- 3) Share 64 in the ratio 3 : 5 4) Write the ratio 1 : 4 as a fraction.

# Year 7

## LINES AND ANGLES

### Key Concepts

Angles in a **triangle equal  $180^\circ$** .  
 Angles in a **quadrilateral equal  $360^\circ$** .  
**Vertically opposite angles** are equal in size.  
 Angles on a **straight line equal  $180^\circ$** .  
 Angles **around a point equal  $360^\circ$** .  
**Base angles in an isosceles triangle** are equal.  
**Types of angle**  
 There are four types which need to be identified – acute, obtuse, reflex and right angled.  
**Types of triangles**



Acute is less than  $90^\circ$

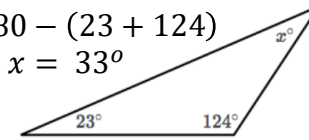
Obtuse is between  $90^\circ$  and  $180^\circ$

Right angled is  $90^\circ$

Reflex is between  $180^\circ$  and  $360^\circ$

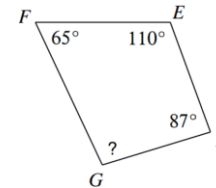
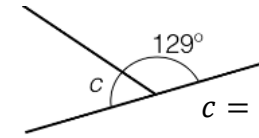
$$x = 180 - (23 + 124)$$

$$x = 33^\circ$$



$$c = 180 - 129$$

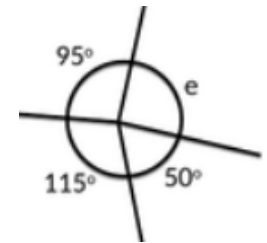
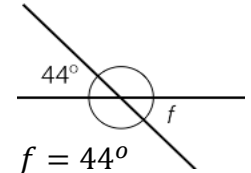
$$x = 51^\circ$$



$$\angle FGD = 360 - (65 + 110 + 87)$$

$$\angle FGD = 98^\circ$$

### Examples



$$e = 360 - (95 + 115 + 50)$$

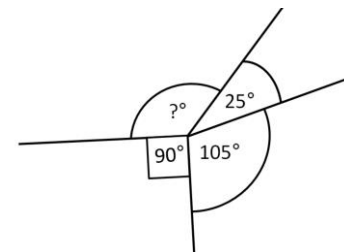
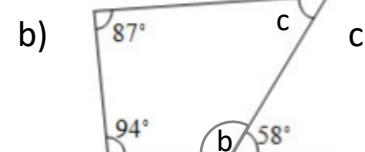
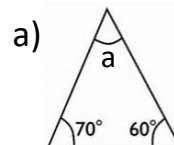
$$e = 100^\circ$$

### Key Words

Angle  
 Vertically opposite  
 Straight line  
 Equilateral  
 Isosceles  
 scalene

### Questions

Calculate the missing angle:

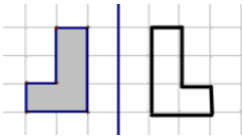


# Year 7 Knowledge Organiser

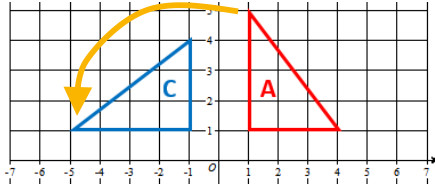
## TRANSFORMATIONS

### Key Concept

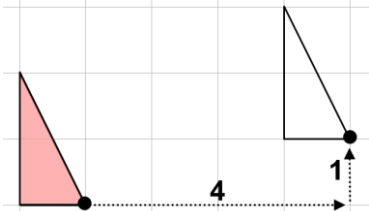
#### Reflection



#### Rotation



#### Translation



### Key Words

**Transformation:** This means something about the shape has 'changed'.

**Reflection:** A shape has been flipped.

**Rotation:** A shape has been turned.

**Translation:** A movement of a shape.

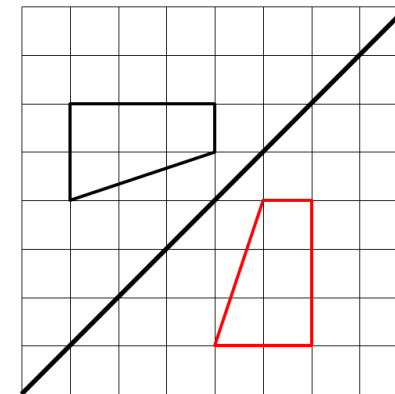
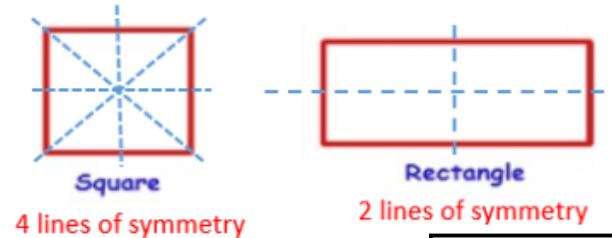
**Enlargement:** A change in size, either bigger or smaller.

**Congruent:** These shapes are the same shape and same size but can be in any orientation.

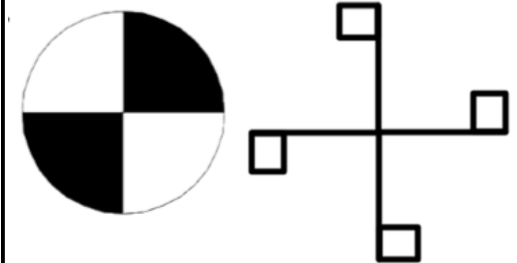
**Symmetry:** A shape has symmetry if there is a line which forms two equal parts which are a mirror image of each other.

### Examples

#### Lines of symmetry and reflection



#### Rotational Symmetry



Order = 2

Order = 4

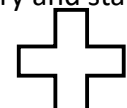
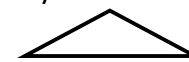
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Clip Numbers  
650-657

### Tip

- The smallest the order of rotational symmetry can be, is 1.
- To see if a line of symmetry works fold along the line and see if the both halves lie exactly on top of each other.

### Questions

- 1) A triangle has lengths 3cm, 4cm and 5cm. What will they be if enlarged scale factor 3.
- 2) For the shapes below draw on their lines of symmetry and state their order of rotational symmetry



ANSWERS: 1) 9cm, 12cm and 15cm 2) 1) 2 lines of symmetry, order = 2 2) 1 line of symmetry, order = 1 3) 4 lines of symmetry, order = 4